

Transitivity in Semantic Relation Learning

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Motivation

- **Semantic networks** are applied to understand texts in a variety of NLP and KE applications
- *Manually built semantic networks* often lack coverage when used in generic and in specific knowledge domains

Common Goal in NLP and KE
Learning semantic networks from text collections

Observations

- Semantic resources are ultimately exploited in natural language understanding systems as *networks of words*
- Semantic networks *have structural properties* of the target relations such as **transitivity**, symmetry, and so on.

Background

Learning semantic networks from text collections

Two basic classes of models:

- Distributional Hypothesis (DH) (Harris, 1964)

“Words that tend to occur in the same contexts tend to have similar meanings.”

$$\text{sim}(w_1, w_2) \approx \text{sim}(C(w_1), C(w_2))$$

- Lexico-Syntactic Patterns (LSP) (originally used in (Robison, 1970))

“It is possible to extract relevant semantic relations with some pattern.”

w_1 is in a relation r with w_2 if the context **pattern**(w_1, w_2) is significantly frequent in the corpus

Background

Extensions on Distributional Models

Distributional Inclusion Hypothesis (DIH) (Geffet&Dagan, 2005) and **Formal Concept Analysis** (FCA) (as used in (Cimiano, 2005))

“the word a is the generalization of the word b if the properties representing the contexts of a are included in those representing the contexts of b ”



Some particular Lexico-Syntactic Patterns

- Heart's ISA patterns, e.g., “X as well as Y” \rightarrow X ISA Y
- Player wins \rightarrow win entails play (Zanzotto et al., 2006)



Background

Summing up



- Distributional Models (DH)

Target Relations	Hyperonymy (IS_A) Cotopy (Similarity)	
Use of structural properties	<i>Transitivity</i> is implicitly exploited	

- Lexico-Syntactic Pattern Models (LSP)

Target Relations	All possible semantic relations	
Use of structural properties	<i>Transitivity</i> is NOT exploited	

Our research Goal

Target Relations	All possible semantic relations	
Use of structural properties	<i>Transitivity</i> is effectively exploited	

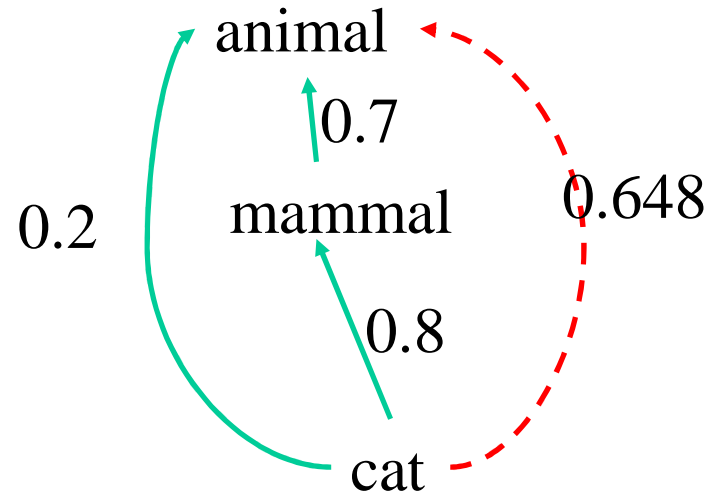


Exploiting **Transitivity** within **Lexico-Syntactic Pattern Models**

- we exploit structural properties of target relations to determine the probability
- we focus on the transitivity to reinforce or lower the probability

Our research Goal

isa
relation



$$P(R_{animal,cat} | E)$$



Direct Probabilities for Corpus Observation
(E) with Lexico-Syntactic Patterns

$$P(\hat{R}_{animal,cat} | E)$$



Induced Probabilities

Outline of the rest of the talk

- Probability Propagation in a Transitive Semantic Network
 - Direct Probabilistic Model
 - Induced Probabilistic Model
 - Induced Intensional Model
 - Induced Extensional Model
- Experimental Evaluation
 - Experimental Set-Up
 - Result
- Conclusions and Future Works

Direct Probabilistic Model

Given:

- A set of training examples \mathbf{R} representing a relation \mathbf{T}
- A corpus \mathbf{C} and a set of evidences \mathbf{E} over the examples \mathbf{R} extracted from the corpus \mathbf{C}

We want to extract the probability distribution

$$P(R_{i,j} \in T | E)$$

where $R_{i,j} \in T$ stands for *i is in relation T with j* .

e.g., $R_{\text{animal,cat}}$ where R is “generalizes” stands for:

animal generalizes a cat or a *cat is an animal*

Direct Probabilistic Model

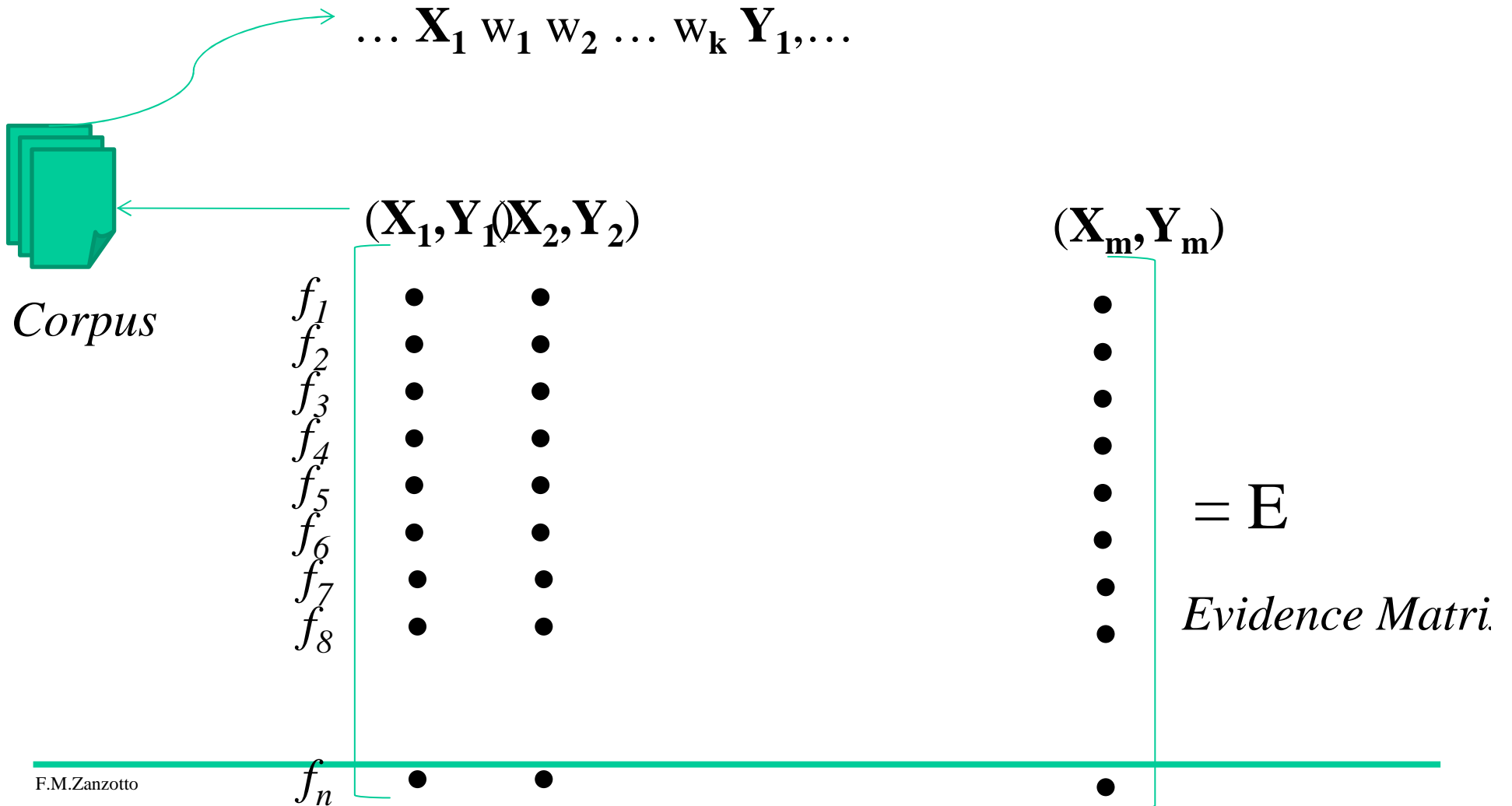
... **dog**, as other **animals**,...



(**dog**,**animal**)

<i>Corpus</i>	, as other	1
	, as	1
	as other	1
	,	1
	as	1
	other	1

Direct Probabilistic Model



Direct Probabilistic Model

We estimate

$$P(R_{i,j} \in T/E)$$

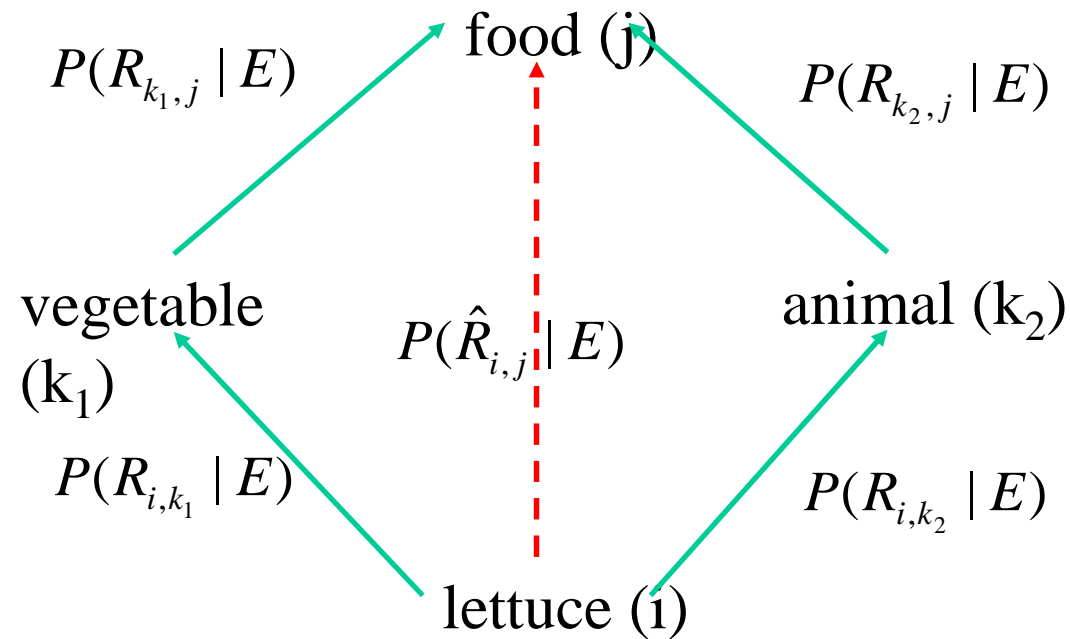
using logistic regression as:

- $R_{i,j} \in T$ is a variable with two values (yes, no)
- $P(R_{i,j} \in T/E) = P(R_{i,j} \in T/e_{i,j})$ where $e_{i,j}$ are the evidences E related to the pair (i,j)

Induced Probabilistic Model

- Goal: Exploiting direct probabilities and transitivity over the building semantic network to extract induced probabilities
- We propose three models:
 - Induced Intensional Model
 - Induced Extensional Model
 - Mixed Induced Model

Induced Intensional Probabilistic Model



$$P(\hat{R}_{i,j} | E) = P(R_{i,j} \cup (R_{i,k_1} \cap R_{k_1,j}) \cup (R_{i,k_2} \cap R_{k_2,j}) | E)$$



Induced Intensional Probabilistic Model

$$P(\hat{R}_{i,j} | E) = P(R_{i,j} \cup (R_{i,k_1} \cap R_{k_1,j}) \cup (R_{i,k_2} \cap R_{k_2,j}) | E) =$$

(inclusion-exclusion principle)

$$\begin{aligned} &= P(R_{i,j} | E) + P(R_{i,k_1} \cap R_{k_1,j} | E) + P(R_{i,k_2} \cap R_{k_2,j} | E) + \\ &- P(R_{i,j} \cap R_{i,k_1} \cap R_{k_1,j} | E) - P(R_{i,j} \cap R_{i,k_2} \cap R_{k_2,j} | E) + \\ &+ P(R_{i,j} \cap R_{i,k_1} \cap R_{k_1,j} \cap R_{i,k_2} \cap R_{k_2,j} | E) \end{aligned}$$

($R_{i,j}$ independence assumption)

$$\begin{aligned} &= P(R_{i,j} | E) + P(R_{i,k_1} | E)P(R_{k_1,j} | E) + P(R_{i,k_2} | E)P(R_{k_2,j} | E) + \\ &- P(R_{i,j} | E)P(R_{i,k_1} | E)P(R_{k_1,j} | E) - P(R_{i,j} | E)P(R_{i,k_2} | E)P(R_{k_2,j} | E) + \\ &+ P(R_{i,j} | E)P(R_{i,k_1} | E)P(R_{k_1,j} | E)P(R_{i,k_2} | E)P(R_{k_2,j} | E) \end{aligned}$$

Induced Intensional Probabilistic Model

General Equation

$$P(\widehat{R}_{i,j}|E) = P(R_{i,j} \cup \bigcup_{k \in K} (R_{i,k} \cap R_{k,j}) | E)$$

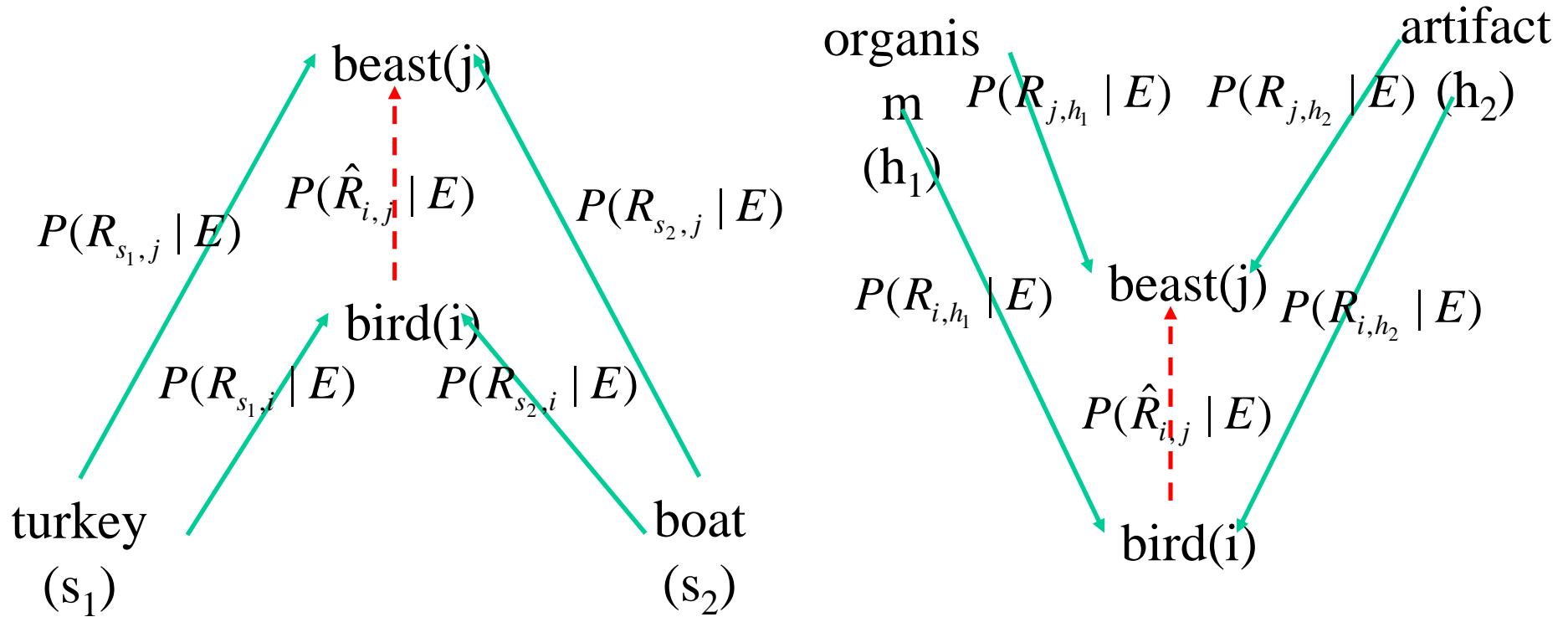
(inclusion-exclusion principle)

$$P(\widehat{R}_{i,j}|E) = \sum_{\emptyset = J \subseteq \{\epsilon, k_1, \dots, k_n\}} (-1)^{|J|-1} P(R_J|E)$$

($R_{i,j}$ independence assumption)

$$P(R_J|E) = \prod_{k \in J} P(R_k|E)$$

Induced Extensional Probabilistic Model



$$P(\hat{R}_{i,j} | E) = P(R_{i,j} \cup (R_{s_1,i} \cap R_{s_1,j}) \cup (R_{s_2,i} \cap R_{s_2,j}) \cup (R_{i,h_1} \cap R_{j,h_1}) \cup (R_{i,h_2} \cap R_{j,h_2}) | E)$$

Experimental Investigation

Question:

- Can our induced models effectively exploit transitivity when expanding or building semantic networks of words?
- Experimental set-up
- Results

Experimental Set-up

- Two target relations: generalization and meronymy (part-of)
- Corpus: English Web as Corpus, **ukWaC** (Ferraresi et al.,2008)
- Source of training and testing examples: WordNet

<i>Test</i>		<i>Set Description</i>	<i>Initial Size</i>	<i>Retrieved Pairs</i>
isa	TR_p	$\mathcal{H}/\mathcal{H}_{ts}$	1983197	212076
	TR_n	$\overline{\mathcal{H}}/\overline{\mathcal{H}}_{ts}$	5594387	315428
	TS_p	\mathcal{H}_{ts}	506	150
	TS_n	$\overline{\mathcal{H}}_{ts}$	80436	258
partof	TR_p	$\mathcal{M}/\mathcal{M}_{ts}$	14333	8077
	TR_n	$\overline{\mathcal{H}}/\mathcal{M}_{ts}$	623616	318679
	TS_p	\mathcal{M}_{ts}	408	101
	TS_n	$\overline{\mathcal{M}}_{ts}$	34214	1713

Experimental Set-up

Two different regressors:

- Support Vector Machines
- Moore-Penrose pseudoinverse Q^+ (Penrose, 1955)

$$Q^+ = U \Sigma^+ V^T$$

This second model gives the possibility of naturally using SVD as feature selector (Fallucchi&Zanzotto, 2009)

Results

Relative recall of the three methods

	<i>direct</i>		<i>intensional</i>		<i>extensional</i>	
	PI	SVM	PI	SVM	PI	SVM
100	30.67	30.00	4.00	1.33	37.33	35.33
200	56.67	49.33	27.33	26.00	60.67	61.33
300	74.67	74.67	64.00	65.33	81.33	78.67

	<i>direct</i>		<i>intensional</i>		<i>extensional</i>	
	PI	SVM	PI	SVM	PI	SVM
500	28.71	28.71	32.67	32.67	33.66	33.66
1000	44.55	70.30	54.46	70.3	49.5	72.28

Conclusions and Future Work

- We presented a model to exploit structural properties of the relation during semantic network learning
- The obtained resource contains semantic relations between words along with their probability obtained on a corpus
- Open issues:
 - Evaluation of the obtained resource with respect to a task: word sense disambiguation, textual entailment recognition, etc.